

A crane hook computation

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Abstract

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Revision history

Rev.	Date	Author	
B	15-Nov-2016	John Doe	Mesh details and report body
A	15-Nov-2016	John Doe	First issue for comments

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1 Introduction

This is an introduction. Our assumptions are

- one
- another one
- the last one

2 Conclusion

Everyhting works as *expected*.

A Project details

CAEplex ¹ project settings	
Name	Test
Author email	gtheler@seamplex.com
Project ID	57e681e7ad1a4
Type	Linear structural analysis
Last modification	Tue, 15 Nov 2016 11:26:20 +0000 (UTC)



Figure 1: Project URL <https://www.caeplex.com/demo/results.php?id=57e681e7ad1a4>

¹CAEplex is a web-based front-end for cloud-based open-source finite element analysis codes.

A.1 Geometry

Geometry file	
Name	hook
Format	STEP
MD5	cbd6a2f1faf6d36d6b35f10544218fab
Length units	Millimeters

Entitites	
Faces	12
Edges	34
Vertices	26
Wires	14
Solids	1
Shells	1
Compounds	0
Compsolids	0

Center of gravity	
x_{cog}	0 mm
y_{cog}	0 mm
z_{cog}	0 mm

Bounding box	
x_{min}	0 mm
x_{max}	72 mm
y_{min}	0 mm
y_{max}	23 mm
z_{min}	0 mm
z_{max}	79 mm

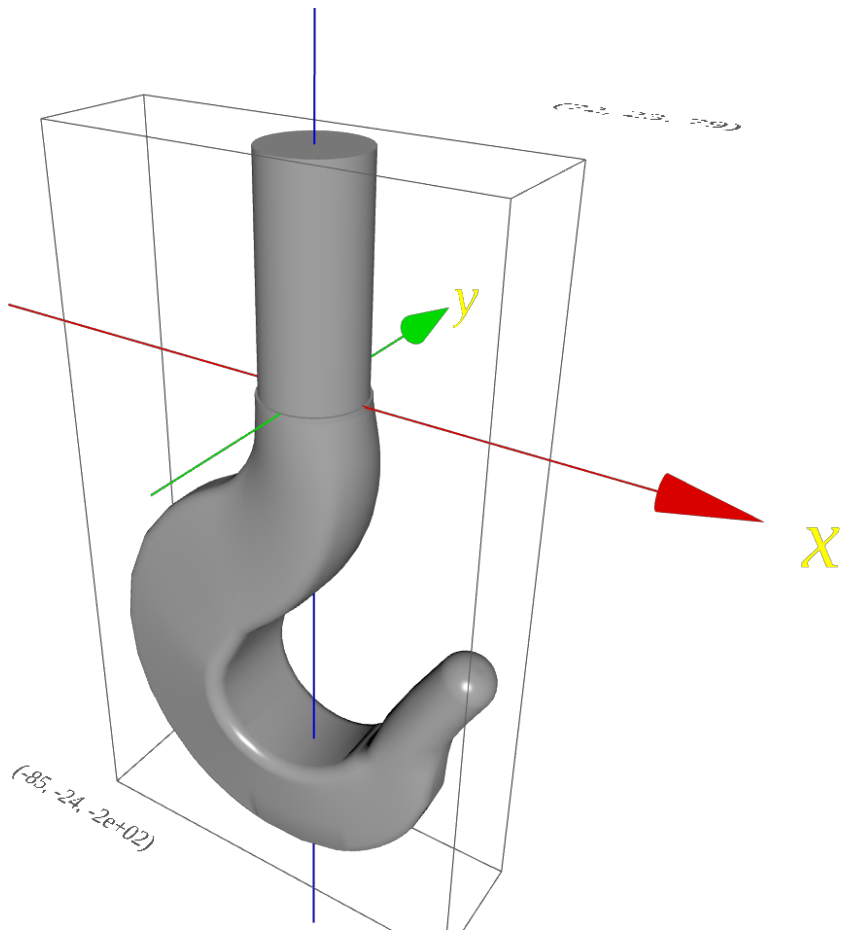


Figure 2

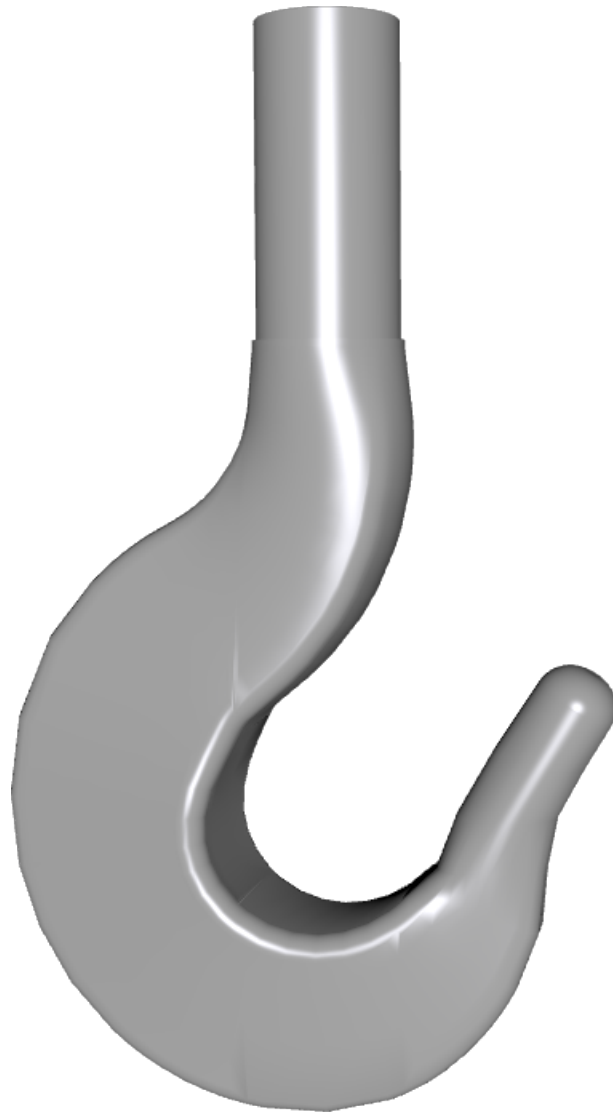


Figure 3

A.2 Problem

Material		Volumetric forces	
Name	Steel	Type	Self-weight
Young modulus	$E = 200\,000\text{ MPa}$	Density ρ	$7.8 \times 10^{-6}\text{ kg/mm}^3$
Poisson ratio	$\nu = 0.3$	Gravity g	9.806 mm/s^2
Yield strength	$\sigma_y = 400\text{ MPa}$	Direction	$z-$
Density ρ	$7.8 \times 10^{-6}\text{ kg/mm}^3$		

Condition 1		Condition 2	
Type	Displacement (Dirichlet)	Type	Load (Neumann)
Condition	Fixed	Condition	Force
			$F_x = 0\text{ N}$
			$F_y = 0\text{ N}$
			$F_z = -30\,000\text{ N}$

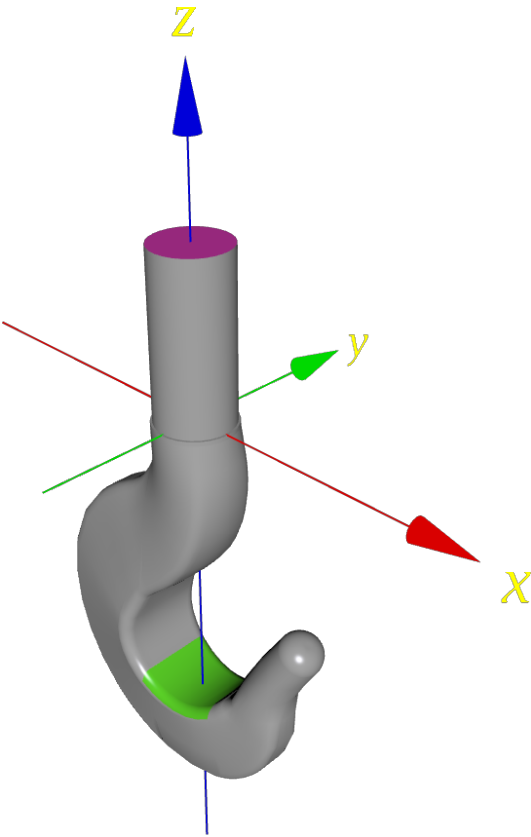


Figure 4

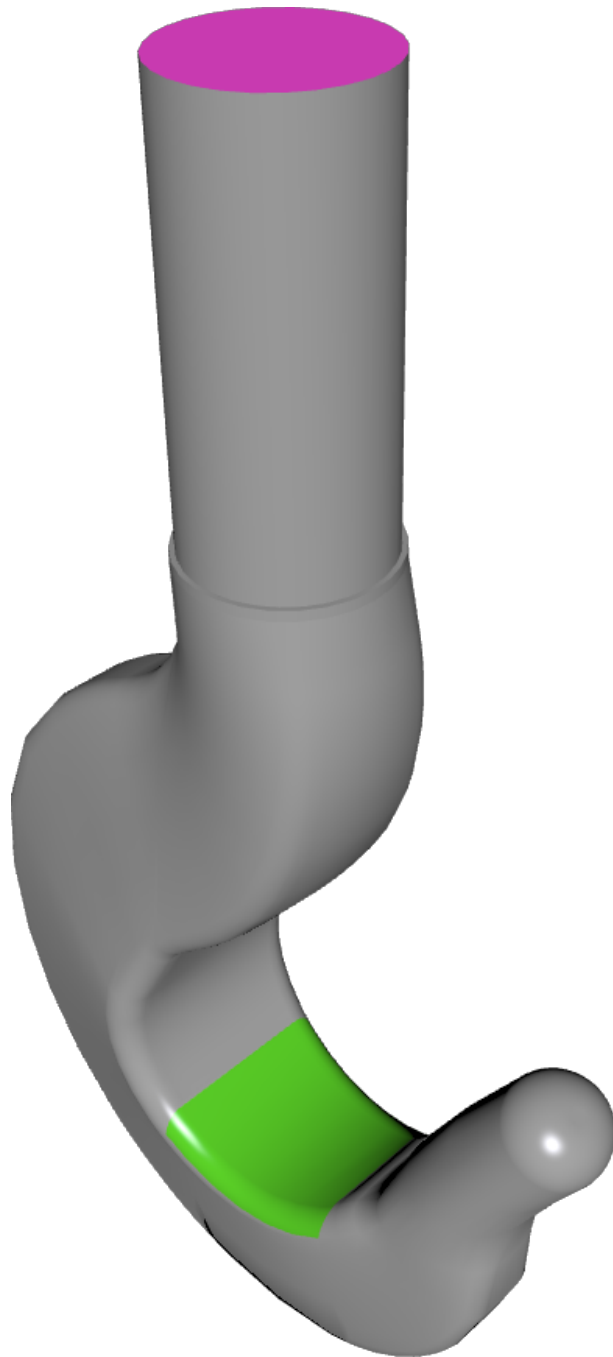


Figure 5

A.3 Mesh

Unstructured grid	
Granularity level	1/5
Nodes	8,700
Elements	48,211
Triangles	10,170
Tetrahedra	38,041

Back-end details	
Back-end version	Gmsh 2.13.1
2D algorithm	Delaunay
3D algorithm	Delaunay
Characteristic length factor	0.15

$$h_1(r, s) = 1 - r - s$$

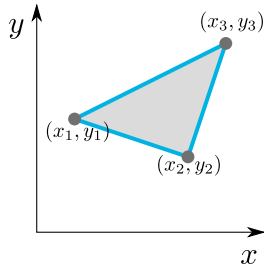
$$h_2(r, s) = r$$

$$h_3(r, s) = s$$

(a) Shape functions

Index	Weight	r	s
1	1/3	1/6	1/6
2	1/3	2/3	1/6
3	1/3	1/6	2/3

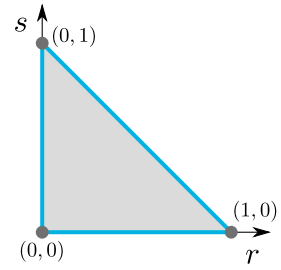
(b) Gauss points



(c) General coordinates

$$x(r, s) = \sum_{j=1}^3 h_j(r, s) \cdot x_j$$

$$y(r, s) = \sum_{j=1}^3 h_j(r, s) \cdot y_j$$

(d) Real $\leftrightarrow$ Canonical

(e) Canonical coordinates

Figure 6: Mathematical details of the triangular isoparametric elements

$$h_1(r, s) = 1 - r - s - t$$

$$h_2(r, s) = r$$

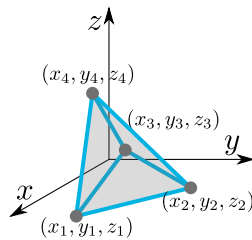
$$h_3(r, s) = s$$

$$h_4(r, s) = t$$

(a) Shape functions

Index	Weight	r	s	t
1	1/4	1/6	1/6	1/6
2	1/4	2/3	1/6	1/6
3	1/4	1/6	2/3	1/6
4	1/4	1/6	1/6	2/3

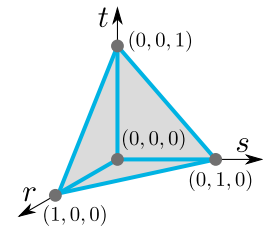
(b) Gauss points



(c) General coordinates

$$x(r, s) = \sum_{j=1}^4 h_j(r, s) \cdot x_j$$

$$y(r, s) = \sum_{j=1}^4 h_j(r, s) \cdot y_j$$

(d) Real $\leftrightarrow$ Canonical

(e) Canonical coordinates

Figure 7: Mathematical details of the tetrahedral isoparametric elements

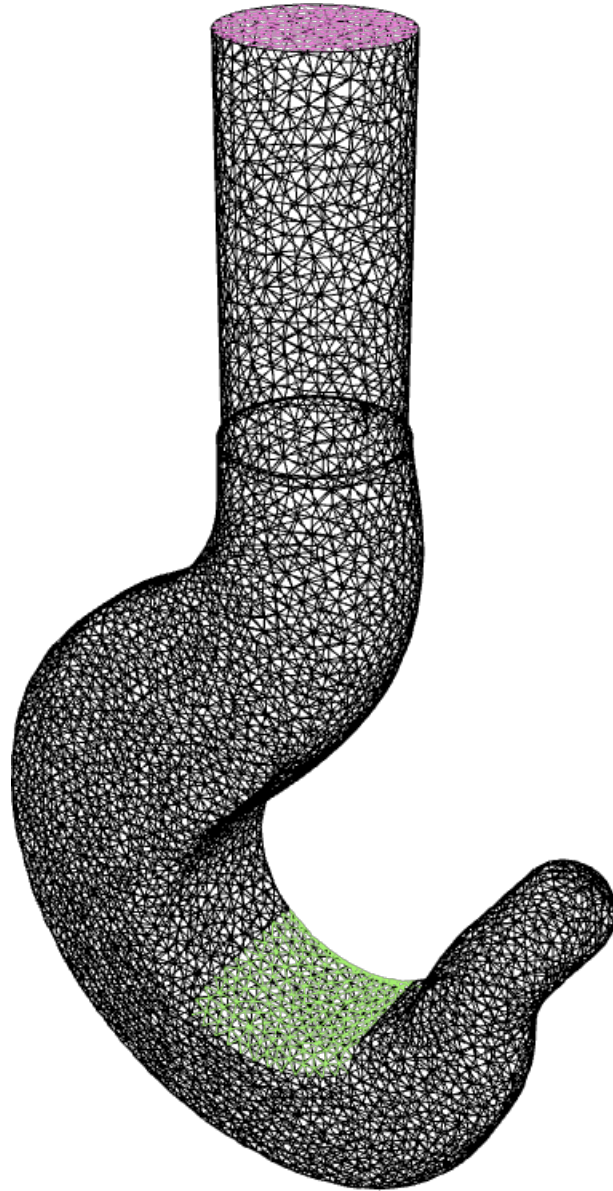


Figure 8

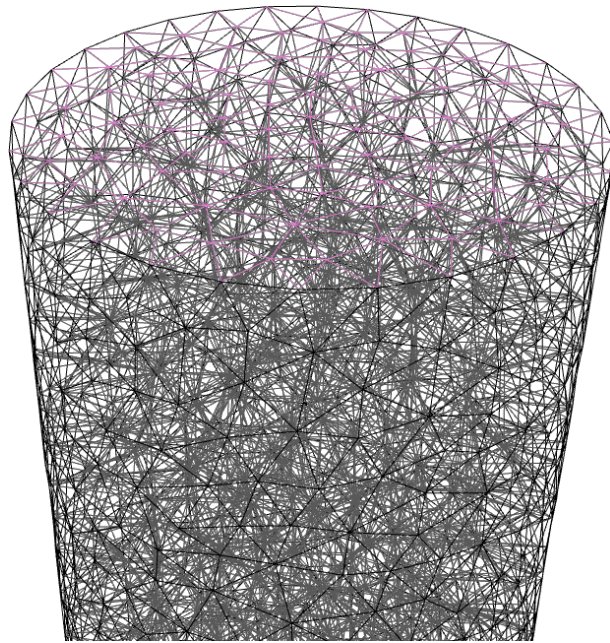


Figure 9: Mesh detail

A.4 Solution

Back-end details	
Back-end version	Fino 0.4.65
Formulation	Variational displacement-based linear elastic problem
Weighting	Galerkin
Problem size (unknowns)	26,100
Degree of freedom ordering	Node-based
Preconditioner	LU
Solver	Preconditioner only

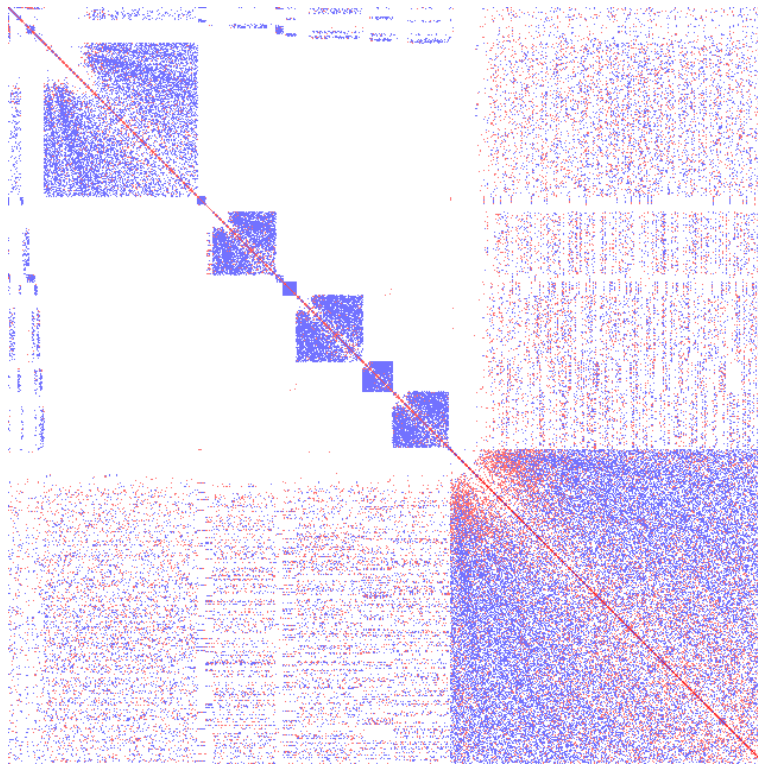


Figure 10: Problem stiffness matrix ($26,100 \times 26,100$). Blue (red) dots represent positive (negative) values.

A.5 Results

Displacement		Von Mises stress	
Maximum value	$ (u, v, w) _{\max} = 0.281 \text{ mm}$	Maximum value	$\sigma_{\max} = 155.9 \text{ MPa}$
Location	$x = 71 \text{ mm}$	Location	$x = -27.9 \text{ mm}$
	$y = -1.07 \text{ mm}$		$y = 6.78 \text{ mm}$
	$z = -88.4 \text{ mm}$		$z = -118 \text{ mm}$

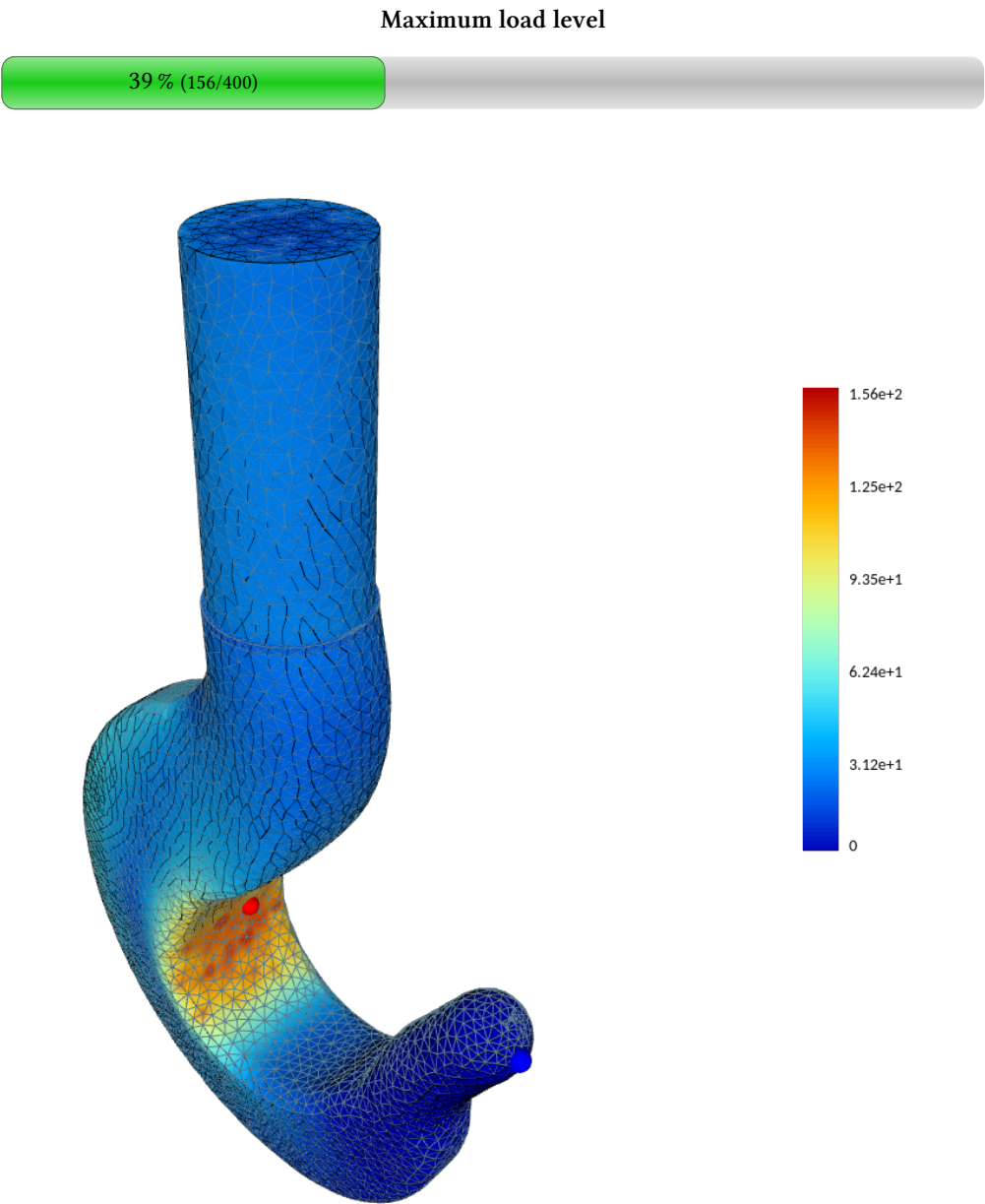


Figure 11

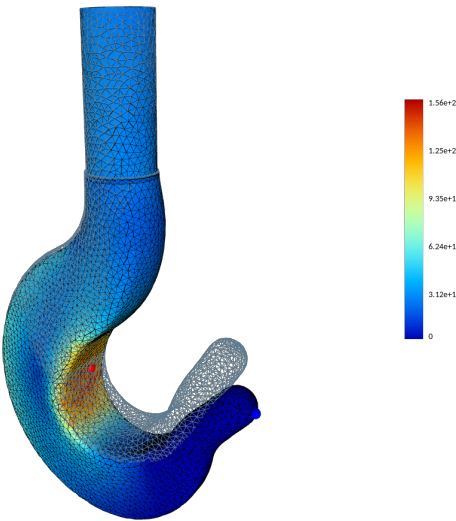


Figure 12

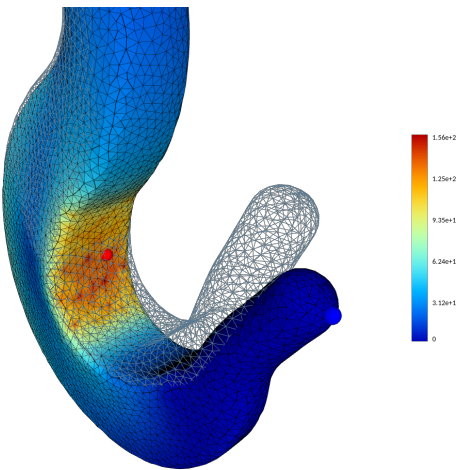


Figure 13